

$$M(x, t) \cdot \dot{x} + K(x, t) \cdot x - b(x, t) =: r(x, t) \stackrel{!}{=} 0$$

FirstOrderImplicitQuasiLinear

TimeLoopSingleODE, $t \rightarrow t + \Delta t$ (x_N)

solves a TimeDiscretizedODESystem (M, K, b, J)

which is a NonlinearSystem
and has a TimeDiscretization (old x_n),
an ODESystem
and a MatrixTranslator (\bar{M}, \bar{b})

using a NonlinearSolver ($A, \tilde{b}; \tilde{J}, r$)

which solves a NonlinearSystem

$$\left. \begin{array}{l} Ax = \tilde{b} \\ \text{or } \tilde{J}\Delta x = -r \end{array} \right\}$$

The TimeDiscretizedODESystem
translates the matrices and vectors
using a MatrixTranslator
which knows about the used TimeDiscretization,
and the type of ODE,
i. e., FirstOrderImplicitQuasiLinear

A FEM Process

is an ODESystem
(in this case $M\dot{x} + Kx - b = 0$)

which assembles the matrices and vectors

$$\left\{ \begin{array}{l} M, K \text{ and } b \\ J \text{ if needed} \end{array} \right.$$