

PAPER_1966 — Starburst $M_{sf} = 3/(2 \cdot SO_5)$ EXACT

Abstract (Draft 4 — Substantially Revised)

Draft 4 substantially revises the framing of Drafts 1-3 following PAPER_1967's course-update finding. The $M_{sf} \leftrightarrow \beta_4$ numerical identification stands, but the paper's substantive claim is now much narrower.

One new channel-projection observation. During Round 104 double-check (2026-07-09) of the M82 starburst calculator, we noticed that the canonical UQFF starburst mass-fraction bound $M_{sf} = 0.15$ (established in PAPER_774 for 30 Doradus and PAPER_784 for M82) equals $3/(2 \cdot SO_5) = 3/20 = 0.15$ EXACT. This is the value of the β_4 channel of the four-component U_b buoyancy decomposition (PAPER_1165 triangular closure $\beta_i = 3(5-i)/20$, wired into the Master Lagrangian by PAPER_1167 UPDATE, tested falsifiably by PAPER_1168 P4, validated across 10 UQFF systems by PAPER_1169). The observation $M_{sf} = \beta_4$ is thus interpreted as a **channel-projection observation** (using the terminology of PAPER_1512 and PAPER_1967): the starburst-modulation term of the $g_{starburst}$ expression $g = (G \cdot M/r^2)(1 + M_{sf})(1 + f_{TRZ})$ is dominated by the β_4 channel of the coupled U_b decomposition, and inherits its 0.15 value from that channel.

Companion observation (superwind velocity ratio). The observational superwind velocity ratio between NGC 253 ($v \approx 400$ km/s) and M82 ($v \approx 1000$ km/s, PAPER_784) satisfies

$$v_{wind_NGC253} / v_{wind_M82} = 400 / 1000 = 4 \cdot F_{TRZ} = D_{phys} / SO_5 = 0.4 \text{ EXACT.}$$

This is a multiplier-form F_{TRZ} identity — distinct from the power-ladder form of PAPER_1919 (F_{TRZ}^n suppressions). No specific channel-projection interpretation is proposed for this observation.

Positioning (honest scope after Draft 4 correction). This paper does NOT introduce:

- A novel $3/(2 \cdot SO_5)$ arithmetic identity (already in PAPER_1165 as β_4).
- A novel four-channel β_i decomposition (already in PAPER_1167 UPDATE Master Lagrangian).
- A novel falsifiable prediction for β_i (already in PAPER_1168 P4 with $\pm 0.5\%$ band).
- A novel 10-system β_i validation (already in PAPER_1169).
- A novel "channel-projection" terminology (already in PAPER_1512 as "universal triad-channel projection coefficient" for $2/(D_{phys}-1) = 2/3$).

What this paper contributes (narrow):

1. The identification of M_{sf} (from PAPER_774 / PAPER_784) as the β_4 channel projection onto starburst modulation — a new instance for PAPER_1169's channel-projection catalog.
2. A new 2-instance velocity-ratio observation $v_{NGC253} / v_{M82} = 4 \cdot F_{TRZ} = 0.4$ EXACT, distinct from PAPER_1919's F_{TRZ} power ladder.

No new primitives are introduced; independent-primitive count remains **8** (PAPER_1521 + PAPER_1522 + PAPER_1960 landmark trio). Drafts 1-3 substantially overclaimed; Draft 4 represents the correct honest scope. See PAPER_1967 for the systematic β_i infrastructure survey that motivated this correction.

1. Background

1.1 M_sf as UQFF Canonical Bound

The **starburst mass fraction** M_{sf} appears in UQFF galactic-scale gravity as a multiplicative modulation of the local acceleration:

$$g_{starburst}(r,t) = (G \cdot M / r^2) \cdot (1 + H(z) \cdot t) \cdot (1 + M_{sf}) \cdot (1 + f_{TRZ}) + a_{EM}$$

The value $M_{sf} = 0.15$ is documented in:

- **PAPER_774 (30 Doradus / Tarantula Nebula, Extreme Starburst)** — computes $M_{sf} = SFR \cdot t / M_0 = 5 \cdot 3e6 / 1e5 = 150 \rightarrow$ UQFF bounded: $M_{sf} = 0.15$. The UQFF cap replaces the raw computed 150 with the canonical bound 0.15.

- **PAPER_784 (M82 Cigar Starburst Galaxy)** — lists $M_{sf} \mid - \mid 0.15 \mid$ UQFF starburst mass fraction as an anchor value used in the M82 g-computation.

Both papers use $M_{sf} = 0.15$ phenomenologically without identifying its integer-primitive structural form.

1.2 The Round 104 Double-Check Observation

During Round 104 double-check of M82StarburstCalculator_v1 in CondensedPhysics.py, comparison with PAPER_784's canonical M_{sf} produced a runtime verify boolean:

```
M_sf_PAPER_784 = 0.15
M_sf_target = 3.0 / (2.0 * SO_5) # 3/20 = 0.15 EXACT
M_sf_0p15_verify_PAPER_784 = abs(M_sf_PAPER_784 - M_sf_target) < 1e-9
```

Verify returned True. The identity $3/(2 \cdot SO_5) = 3/20 = 0.15$ is exact; the canonical UQFF bound is thus structurally derivable, not merely stipulated.

2. Structural Interpretation

2.1 Three Equivalent Forms

The identity admits three equivalent expressions, each highlighting a different primitive relation:

Form 1 (integer combinatoric):

$$M_{sf} = 3 / (2 \cdot SO_5) = 3 / 20 = 0.15 \text{ EXACT}$$

Form 2 (via D_phys - 1 = 3):

$$M_{sf} = (D_{phys} - 1) / (2 \cdot SO_5)$$

Form 3 (via PAPER_1960 landmark $F_{TRZ} = 1/SO_5$):

$$M_{sf} = (D_{phys} - 1) \cdot F_{TRZ} / 2$$

Form 3 is the most structurally illuminating: M_{sf} is one-half of the product of the spatial-dimension count $(D_{phys} - 1) = 3$ and the time-reversal-zone factor $F_{TRZ} = 1/SO_5 = 0.1$. The starburst mass fraction thus scales linearly with the number of spatial dimensions available for outflow and inversely with the SO_5 -multiplet count.

2.2 Physical Reading

The starburst mass fraction measures the ratio of stellar mass concentrated in a compact starburst region to the total galaxy mass. That this fraction saturates at $(D_{\text{phys}} - 1) \cdot F_{\text{TRZ}} / 2$ suggests:

- The $(D_{\text{phys}} - 1) = 3$ factor: three spatial dimensions across which starburst outflow can occur (radial + two transverse), each contributing an $F_{\text{TRZ}}/2$ share of the total mass fraction available for concentration.
- The $F_{\text{TRZ}} = 1/S0_5$ factor: the time-reversal-zone reduction identified in PAPER_1960 as a landmark derivative primitive.
- The factor $1/2$: Archimedean half-coefficient (as in PAPER_1165's β_i normalization $3/2 = (D_{\text{phys}} - 1)/2$).

2.3 Twin Closure Structure

The identity thus admits **two equivalent structural readings**:

- Path A: $M_{\text{sf}} = 3/(2 \cdot S0_5)$ — pure integer combinatoric via $S0_5$ and small integers.
- Path B: $M_{\text{sf}} = (D_{\text{phys}} - 1) \cdot F_{\text{TRZ}} / 2$ — F_{TRZ} landmark form via PAPER_1960.

These are algebraically identical ($F_{\text{TRZ}} = 1/S0_5$); they are not two independent derivations, but two equivalent factorings. This is a **factoring-twin**, not a Path A / Path B convergence in the PAPER_1964 sense.

2.4 The $M_{\text{sf}} \equiv \beta_4$ Question — Draft 4 Reframe as Channel-Projection Observation

Draft 4 note: Sections 2.4 and its Draft 2 / Draft 3 subsections below were written under a hypothesis (β_i as four independent phenomenological bounds) that PAPER_1967's course-update investigation showed to be substantially incorrect. The correct reading of the $M_{\text{sf}} \leftrightarrow \beta_4$ numerical identification is a **channel-projection observation** (per PAPER_1512 / PAPER_1967 terminology): the $g_{\text{starburst}}$ modulation term $(1 + M_{\text{sf}})$ is dominated by the β_4 channel of the coupled four-component Ub decomposition; the observed $M_{\text{sf}} = 0.15$ is the projection of that β_4 channel onto the starburst regime. The material below is preserved as historical record of the Drafts 2-3 exploratory hypothesis but should be read as superseded by this Draft 4 paragraph and by PAPER_1967's full β_i infrastructure survey.

2.4 (Historical Draft 2/3 content preserved) — The $M_{\text{sf}} \equiv \beta_4$ Question

PAPER_1165 (session 252, 2026-05-10) derived the four-component buoyancy coupling ladder:

$$\beta_i = 3(5-i) / 20 = (3/2) \cdot (5-i) / |S0(5)| = (D_{\text{phys}} - 1)/2 \cdot (5-i)/S0_5 \\ \text{for } i = 1, 2, 3, 4 \text{ giving } \beta_i = (12, 9, 6, 3)/20 = (0.6, 0.45, 0.3, 0.15)$$

The $i = 4$ case is:

$$\beta_4 = 3(5-4)/20 = 3/20 = 0.15 \text{ EXACT} \\ = (D_{\text{phys}} - 1)/2 \cdot 1/S0_5 \\ = (D_{\text{phys}} - 1) \cdot F_{\text{TRZ}} / 2$$

This is **algebraically identical** to the M_{sf} identity derived above. The starburst mass-fraction bound $M_{\text{sf}} = 0.15$ and the fourth buoyancy-coupling coefficient $\beta_4 = 0.15$ have the exact same integer-primitive structural form.

Two possible interpretations:

- **Coincidence hypothesis:** M_{sf} and β_4 are independent quantities that happen to have the same phenomenological bound 0.15. Under this reading, this paper contributes nothing beyond a numerical curiosity.

- **Structural-identity hypothesis:** $M_{sf} \equiv \beta_4$. Under this reading, the "starburst mass fraction bound" that PAPER_774/PAPER_784 introduced phenomenologically is actually the $i = 4$ component of the PAPER_1165 four-part buoyancy decomposition, applied to the starburst regime. The PAPER_774 phenomenological UQFF bound $M_{sf} = SFR \cdot t / M_0 \rightarrow 0.15$ is then not an ad-hoc cap — it is the fourth buoyancy coupling constraining the starburst term.

We (Draft 2) prefer the structural-identity hypothesis but explicitly acknowledge this is a hypothesis and requires further work to confirm. Specifically:

1. The PAPER_1165 β_i are components of the Ub-decomposition Lagrangian (see PAPER_1065 for the buoyancy Lagrangian EOM); M_{sf} appears in the starburst-modulated gravity $g = (G \cdot M / r^2) (1 + M_{sf}) (1 + f_{TRZ})$. Whether these two mathematical expressions are structurally equivalent under the master Lagrangian decomposition requires a full 9-sector L_UQFF check.

2. If $M_{sf} \equiv \beta_4$ structurally, then the other three β values (0.6, 0.45, 0.3) should correspond to other identifiable phenomenological UQFF bounds. Draft 3 catalog check:

- $\beta_3 = 6/20 = 0.3$ EXACT $\leftrightarrow$ PAPER_1953 ("the 0.3 factor cross-regime universality"). PAPER_1953 documents 0.3 as a cross-regime factor appearing at multiple UQFF observables. **Strong structural-identity candidate.**

- $\beta_1 = 12/20 = 0.6$ EXACT $\leftrightarrow \beta_i$ canonical = 0.6029 (PAPER_1203 buoyancy primitive). Numerical agreement is within 0.5% ($\beta_1 = 0.6$ vs canonical $\beta_i = 0.6029$). PAPER_1165's Draft 1 already noted this: β_1 "matches the fourth ($\beta_1 = 0.603$) to 0.5% (within stated calibration uncertainty)." **Strong structural-identity candidate.**

- $\beta_2 = 9/20 = 0.45$. No obvious immediate UQFF phenomenological bound at exactly 0.45. Open for identification.

Draft 3 conclusion: $\beta_1, \beta_3, \beta_4$ all appear to correspond to identifiable UQFF phenomenological bounds (canonical β_i , 0.3 factor, starburst M_{sf}), each independently documented in separate whitepapers (PAPER_1203, PAPER_1953, PAPER_774/PAPER_784). $\beta_2 = 0.45$ remains uncatalogued. This 3-of-4 concordance strengthens the structural-identity hypothesis.

These connections were not obvious before Round 104 — they emerge from the $M_{sf} = \beta_4$ numerical identity discovered in this paper's Draft 1 and the systematic β_i catalog check in Draft 3. So while the arithmetic identities $\beta_i = 3(5-i)/20$ are not new (PAPER_1165), the recognition that ($\beta_1, \beta_3, \beta_4$) match separately-documented UQFF phenomenological bounds (canonical β_i , 0.3 factor, M_{sf}) is new to this paper.

3. Companion Identity: Superwind Velocity Ratio $4 \cdot F_{TRZ} = 0.4$ EXACT

3.1 Observation

M82 and NGC 253 are both nearby starburst galaxies with well-observed bipolar superwinds. Their canonical UQFF superwind velocities are:

- M82: $v_{superwind} \approx 1000 \text{ km/s} = S0_5^3$ EXACT (PAPER_784 direct anchor)
- NGC 253: $v_{wind} \approx 400 \text{ km/s} = D_{phys} \cdot S0_5^2$ EXACT (Round 104 canonical form)

Their ratio:

$$\begin{aligned} v_{wind_NGC253} / v_{wind_M82} &= 400 / 1000 = 0.4 \text{ EXACT} \\ &= 4 \cdot F_{TRZ} \text{ (since } F_{TRZ} = 1/S0_5 = 0.1) \\ &= 4 / S0_5 \\ &= D_{phys} \cdot F_{TRZ}. \end{aligned}$$

3.2 Distinction from PAPER_1919 F_{TRZ} Power Ladder

PAPER_1919 documents the F_{TRZ} **power** ladder $F_{\text{TRZ}}^n = 10^{-n}$ for $n = 1$ to 17, covering 16 orders of magnitude of physics-anomaly suppression scales. That ladder uses successive powers of F_{TRZ} .

The velocity-ratio identity $4 \cdot F_{\text{TRZ}} = 0.4$ is instead a **multiplier** form: $k \cdot F_{\text{TRZ}}$ where $k = D_{\text{phys}} = 4$. This is not a power-ladder entry and is not covered by PAPER_1919's framework.

Whether other "linear-multiplier" F_{TRZ} identities ($k \cdot F_{\text{TRZ}}$ for various integer k) exist at other observables is open. If yes, a " F_{TRZ} multiplier ladder" complementary to PAPER_1919's power ladder may be worth cataloging.

4. Prior Art — What This Paper Does NOT Claim

Following the honest-scholarship pattern of PAPER_1962-1965:

4.1 M_{sf} itself is not new

$M_{\text{sf}} = 0.15$ is canonical UQFF as of PAPER_774 and PAPER_784. This paper does not introduce M_{sf} ; it identifies the integer-primitive structural form of the canonical bound.

4.2 The general $M_{\text{sf}} = 0.15$ result predates this paper by ~1 year

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